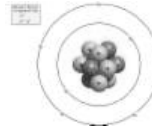


Quantum Mechanical Theory

Bohr

- Bohr proposed that the hydrogen atom has only certain _____.
- Bohr suggested that the single electron in a hydrogen atom moves around the nucleus in only certain allowed circular orbits.



De Broglie

- Applied wave-particle theory to e^-
- _____ exhibit wave properties
- Came up with the equation:

$$\lambda = \frac{h}{mv}$$

The Heisenberg Uncertainty Principle

- The **Heisenberg uncertainty principle** states that it is fundamentally impossible to know precisely both the _____ and _____ of a particle at the same time.

The Schrödinger wave equation

- The atomic model in which electrons are treated as waves is called the wave mechanical model of the atom or, more commonly, the _____ of the atom.

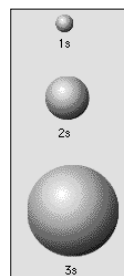
The Schrödinger wave equation

- A three-dimensional region around the nucleus called an _____ describes the electron's probable location.
- You can picture an atomic orbital as a fuzzy cloud in which the density of the cloud at a given point is proportional to the probability of finding the electron at that point.

Quantum Numbers (n, l, m)

- n = _____ Quantum Number
- It has whole number values (1, 2, 3, ...)
- An n increases, the orbital becomes larger
- n tells you what _____ you are in
- n designates the _____

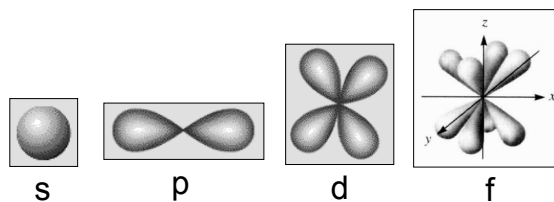
Size



Quantum Numbers (n, l, m)

- $l =$ _____ Quantum Number or _____ Quantum Number
- Can have values from 0 to $(n-1)$ for each value of n
- Defines the _____ of the orbital
- $l = 0 \rightarrow s$
- $l = 1 \rightarrow p$
- $l = 2 \rightarrow d$
- $l = 3 \rightarrow f$
- Tells you what _____ you are in

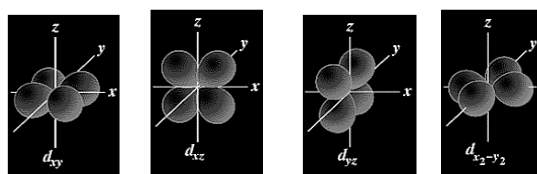
Shapes



Quantum Numbers (n, l, m)

- $m_l =$ _____ Quantum Number
- Can have whole number values from $-l$ to $+l$ (including zero)
- This describes the orbital's _____ in space (which axis it is on)
- Tells you what _____ you are in

Orientation



Possible Values for n, l, m

- n (shell) = 1, 2, 3, 4, ... (whole numbers)
- l (sub shell) values from 0 → (n -1)
- m_l (orbital) values from - l to + l (including zero)

Examples

- What are the possible values for l if n =2?

Examples

- What are the possible values of n, l, and m in the 2s sub shell?

Examples

- What are the possible values for n, l, & m in the 3d sub shell?

Example

- What is the designation for the sub shell where $n = 2$ and $L = 1$?

Example

- What is the designation for the sub shell where $n = 4$ and $L = 3$?

Possible Number of Values (how many answers are there?)

- A shell with Principal Quantum Number (n) has exactly n number of sub shells
- Therefore
- # L's = n

Example

- If $n = 2$ how many possible number of values are there for L ?

Possible Number of Values
(how many answers are there?)

- For a given value of L there are $2L + 1$ possible values for m
- Those values as stated before range from $-L$ to $+L$

Example

- How many values of m are there if $L = 0$?

Example

- How many possible values are there for m if $L = 2$?

Example

- What are the values for m if $L = 2$?

Possible Number of Values (how many answers are there?)

- The number of possible values of $m = n^2$
- Example:
- If $n = 2$, how many values are there for m ?

Possible Number of Values (how many answers are there?)

- Since each orbital can hold at most 2 electrons, the number of electrons in a shell is $2n^2$
- How many electrons are in the $n = 3$ shell?

Summary

Possible Values

- $L (0 \rightarrow n-1)$
- $m (-L \rightarrow +L)$

of Possible Values

- Orbitals (m)
 - $\#m = 2L + 1$
 - $\#m = n^2$
- Sub shells (L)
 - $\#L = n$
- Electrons
 - $\# \text{ electrons} = 2n^2$

More examples

- How many sub shells are in $n = 4$?

More examples

- What designation would $n = 5$ and $L = 1$ have?

More examples

- In the 4d sub shell, what are the possible values for n , l , & m ?

More examples

- In the 3p sub shell, what are the possible values for n , l , & m ?